

## High-fidelity Modelling of Thermal Stress for Additive Manufacturing by Linking Thermal-fluid and Mechanical Models

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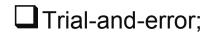
### Background

## VIRTUAL Solid Freeform Fabrication SYMPOSIUM Natio

#### **Thermal Stress**

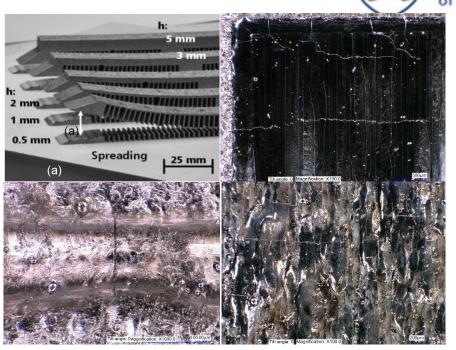
- > The part distortion;
- ➤ Loss of geometric tolerance;
- Delamination of layers during depositing;
- > Deterioration of the fatigue performance;
- > Fracture resistance.

#### **Prediction**



Assumptions & Analytical calculations;

Over-simplified Thermal-mechanical simulations.



$$\sigma_{maxCorr} = \frac{100\sigma_{maxASTM}}{m\left(\frac{\sigma_{maxASTM}}{\sigma_y} - 0.5^2\right) + 100}$$
 (Schajer, g. S.)

$$\sigma_a = c*(\mathrm{HV}+120)x(\sqrt{area})^{-\frac{1}{6}}$$
 (Y. Murakami )

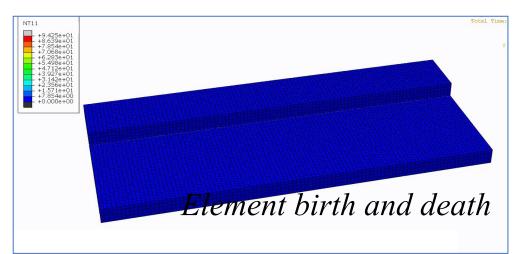
$$\sigma_a = \frac{\Delta K_{\text{th}}}{F} * (\pi a)^{-\frac{1}{2}}$$
. (A. Spagnoli)

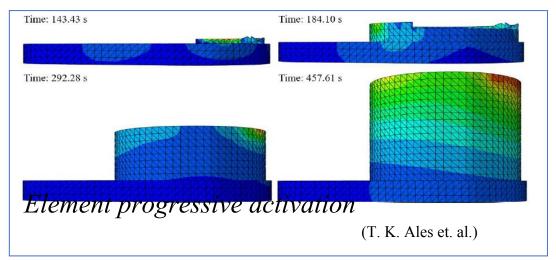
• Li, C., et al. "Residual stress in metal additive manufacturing." Procedia Cirp 71 (2018): 348-353.

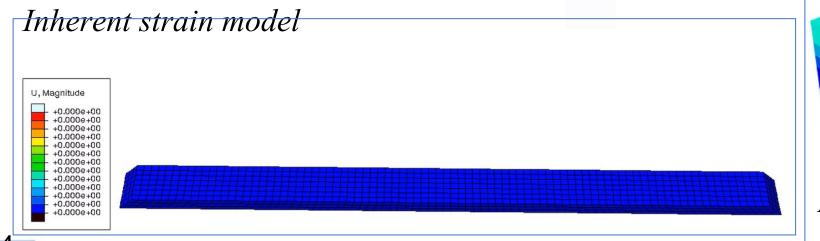
# Background Macro-scale (Part scale) modelling

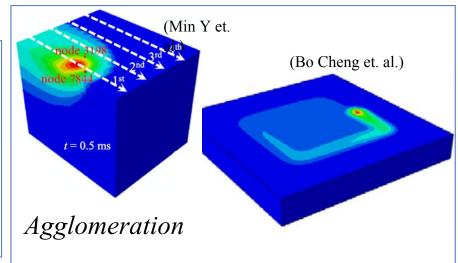


Part distortion prediction & stress concentration



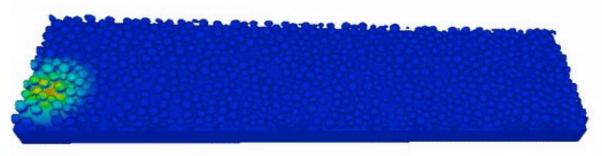


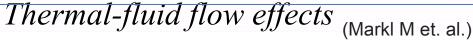


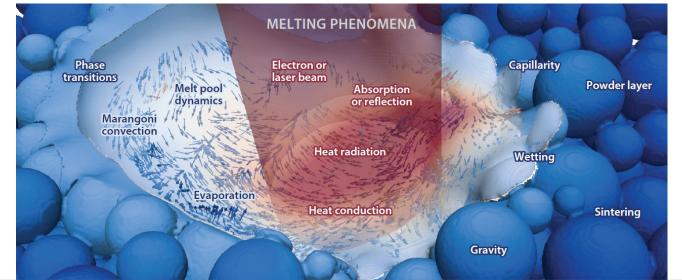


# Background Meso-scale (Powder scale) modelling

Thermal-fluid flow simulation

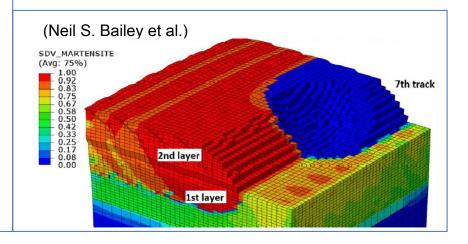






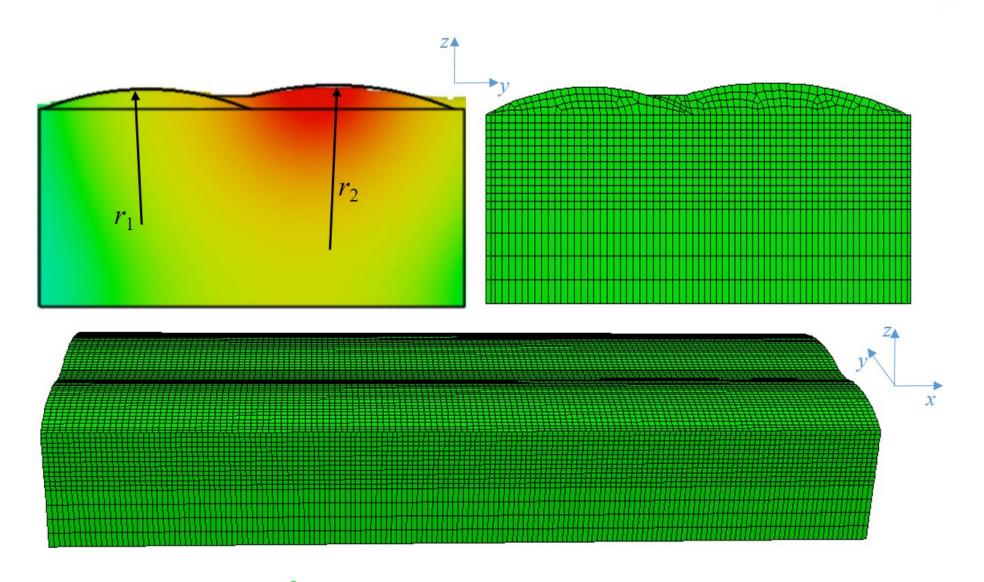


- Voids
- Surface roughness
- Cracks
- Grain growth
- Dislocation



## Thermo-mechanical analysis Diffiplification ses Assistant ptions: k morphology & fluid flow

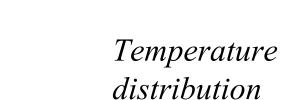


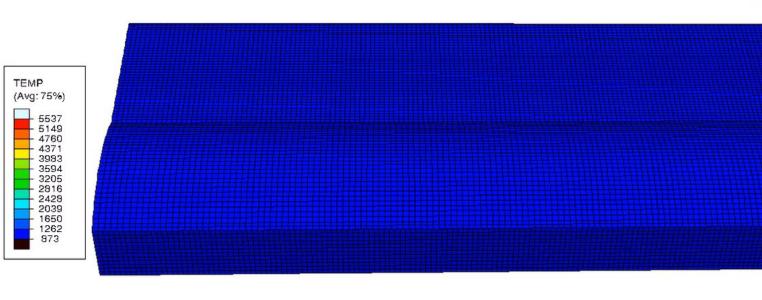


### Thermo-mechanical analysis

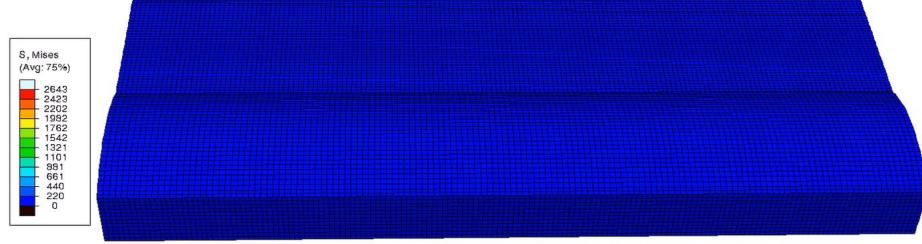












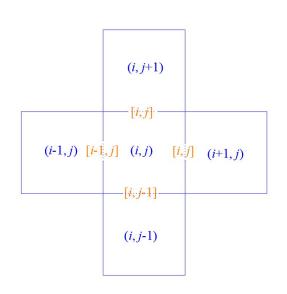
## High-fidelity multi-physics modelling Framework

VIRTUAL Solid
Freeform Fabrication



Governing equations

Meshing difference

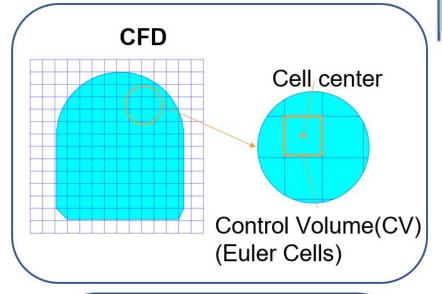


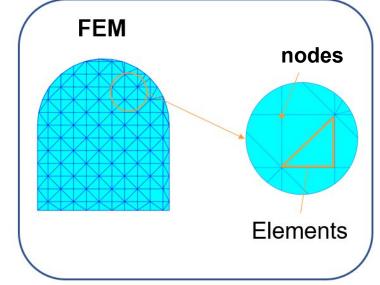
#### CFD

$$egin{aligned} rac{\partial f}{\partial x} &= rac{1}{Vol} \oint f ar{n_x} \cdot dar{A} = \sum_{i,j}^{CV} f_{[i,j]} ar{n}_{[i,j],x} \ rac{\partial f}{\partial y} &= rac{1}{Vol} \oint f ar{n_y} \cdot dar{A} = \sum_{i,j}^{CV} f_{[i,j]} ar{n}_{[i,j],y} \ f_{[i,j],x} &= rac{1}{2} (f_{(i,j)} + f_{(i+1,j)}) \ f_{[i,j],y} &= rac{1}{2} (f_{(i,j)} + f_{(i,j+1)}) \ extbf{FEM} \end{aligned}$$

$$f_{[i,j],x} = Function(f_{(m,n)})$$

$$f_{[i,j],y} = Function(f_{(m,n)})$$

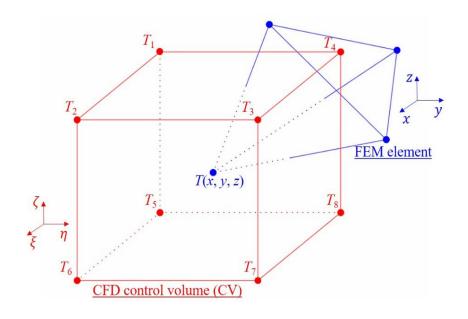




### High-fidelity multi-physics modelling



#### *Spatial interpolation:*



$$T(x,y,z) = \sum_{i=1}^{8} N_i(\xi, \eta, \varsigma) T_i$$

#### Temporal interpolation:

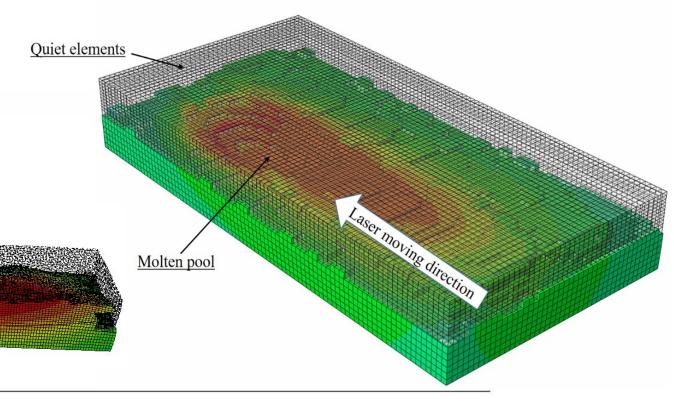
FEM 
$$\frac{T'(t_1')}{t_1'}$$
  $\frac{T'(t_2')}{t_2'}$  CFD  $\frac{t_1}{t_1}$   $\frac{t_2}{t_2}$   $\frac{T(t_1)}{t_1}$   $\frac{T(t_1)}{t_1'}$   $\frac{T(t_2)}{t_2}$   $\frac{T(t_1)}{t_1}$   $\frac{T(t_2)}{t_1}$ 

$$T'(t_1') = T(t_1) + \frac{T(t_2) - T(t_1)}{t_2 - t_1} (t_1' - t_1)$$

## High-fidelity multi-physics modelling Quiet element method



- No activation or deactivation;
- Field variables for different state;
- High flexibility;
- Easy implementation.

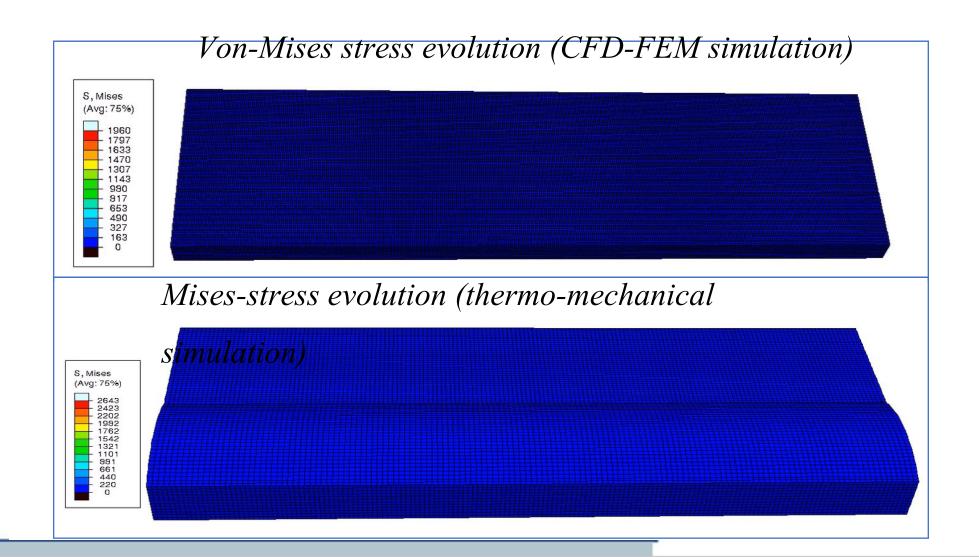


Material states	Young's modulus(Pa)	Poisson ratio	Thermal expansion coefficient $(1/K)$
Solid	$1.32{ imes}10^{11}$	0.31	$9.2 \times 10^{-6}$
Liquid	$1\times10^4$	0.001	$9.2 \times 10^{-6}$
Air	$1\times10^4$	0.001	0

Quiet element

#### Results and discussion Temperature mapping result

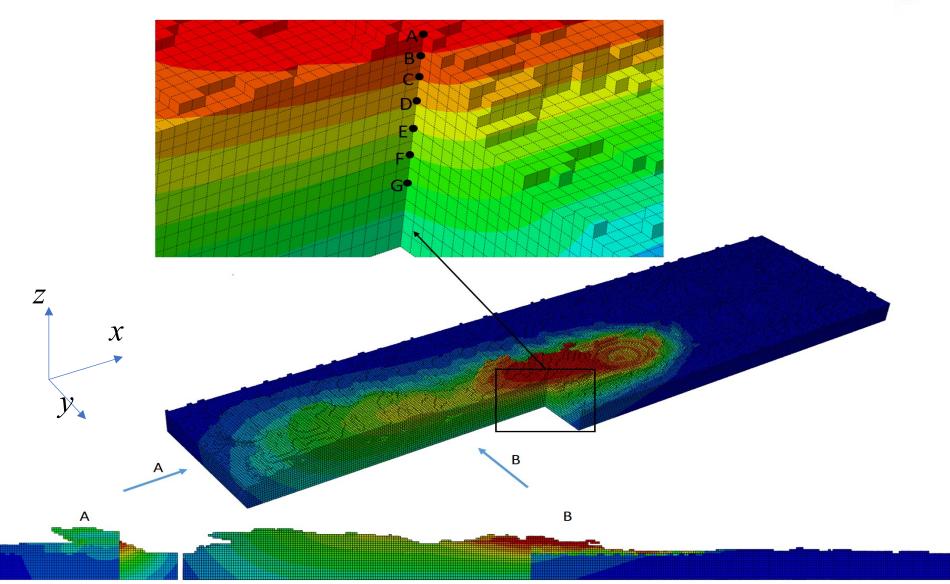




## Results and discussion Temperature distribution & Track morphology



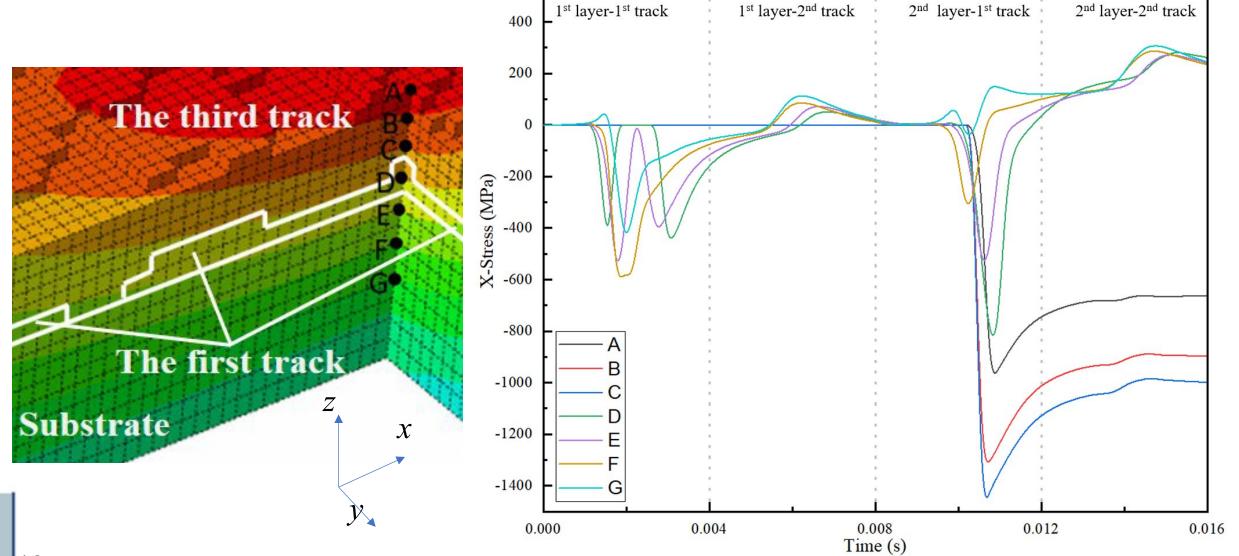




## Results and discussion X-X stress component

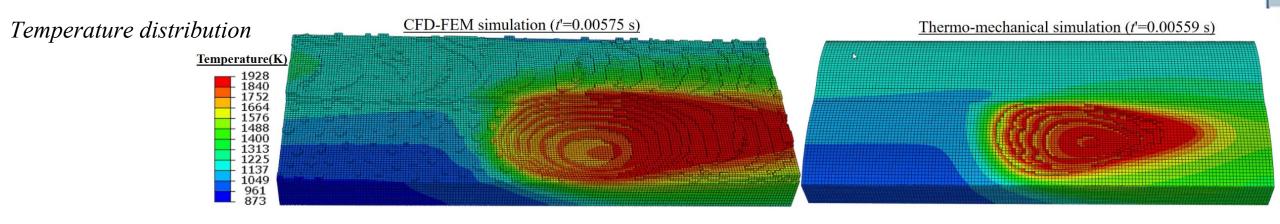


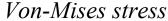


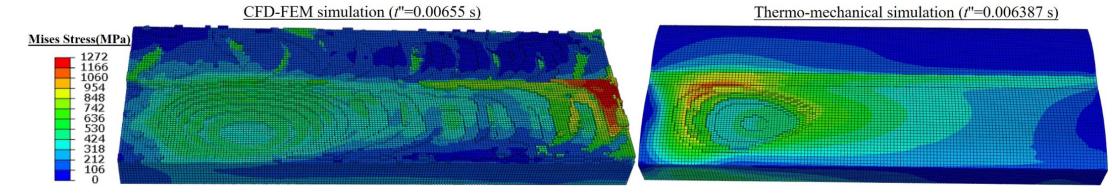


#### Results and discussion Comparison









Conclusion

\*Geometrical features

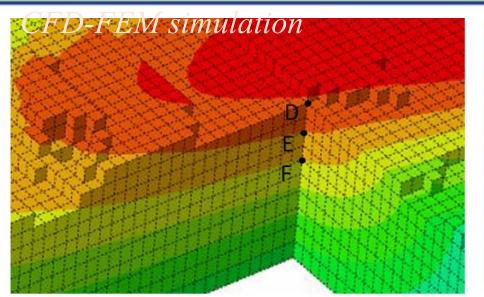
\*Peak temperature \*Molten pool size \*Stress distribution

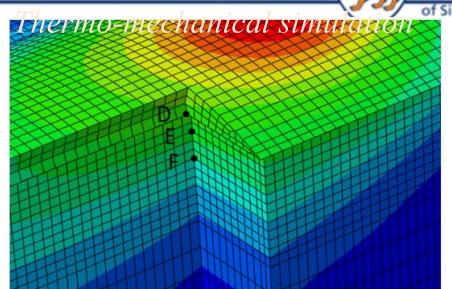
Results and discussion

Comparison

➤ Magnitude

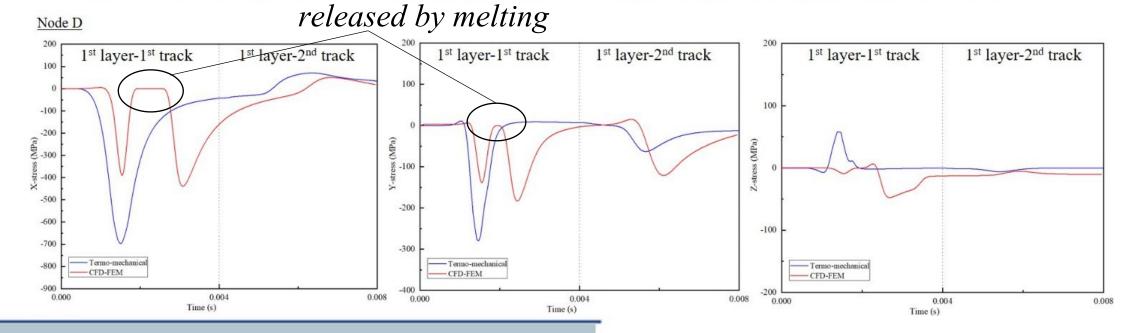
> Trend





Freeform Fabrication

VIRTUAL Solid

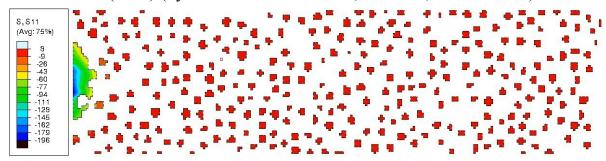


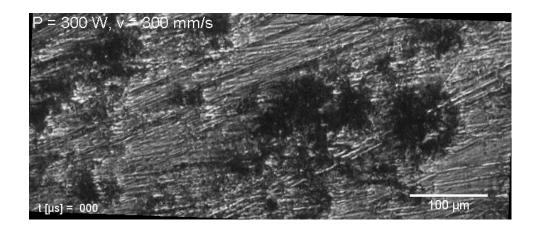
## Single track experiments

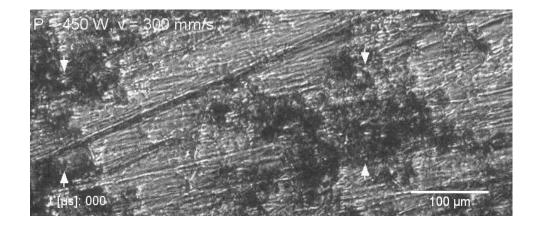


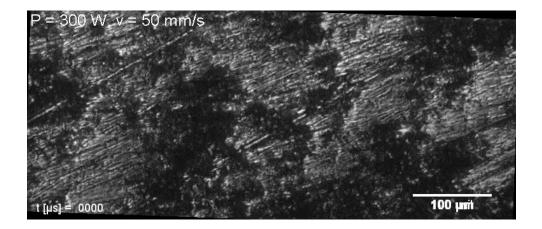
The experiments are conducted by Vrancken et al.[1] (reuse under CC-BY 4.0 license)

X-stress (MPa) (by CFD-FEM simulation, P=60 W, v=500 mm/s)









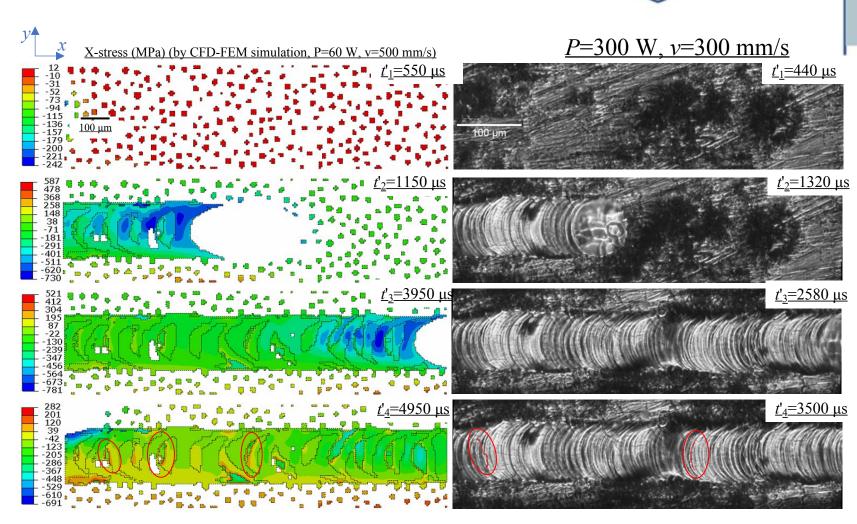
### Single track experiments



#### **Snapshots in 4 stages**

 $t_1$ ' -- the heat is ready on the left side;  $t_2$ ' -- the track is being fabricated;  $t_3$ ' -- the track has been formed but the observed region has not cooled

 $t_4$ ' -- the material has almost cooled down.

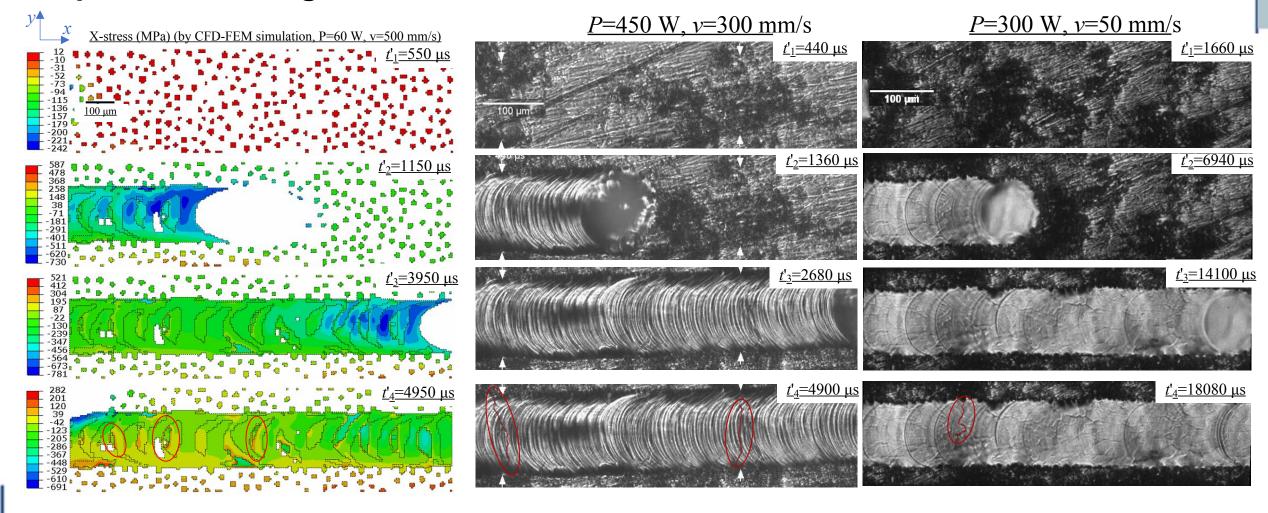


down;

### Single track experiments



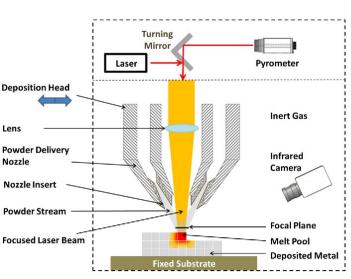
#### **Snapshots in 4 stages**



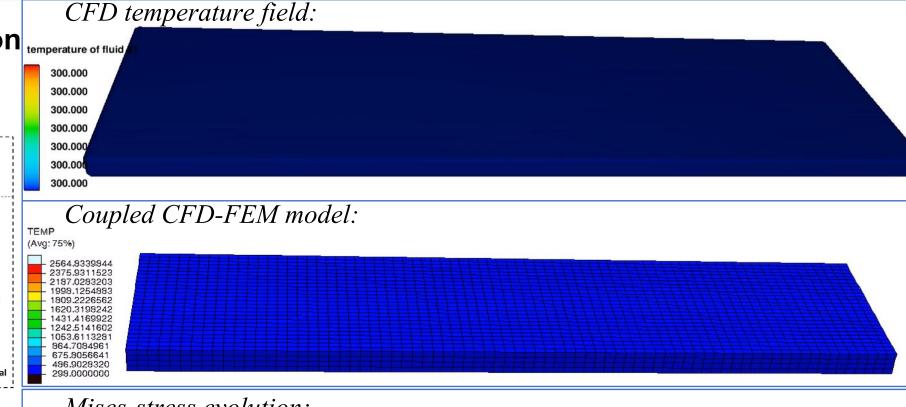
### Other applications



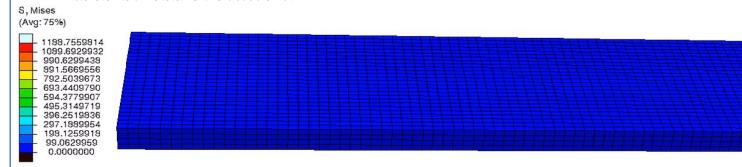
#### Direct energy deposition temperature of fluid



Thompson S M, Bian L, Shamsaei N, et al. An overview of Direct Laser Deposition for additive manufacturing; Part I: Transport phenomena, modeling and diagnostics[J]. Additive Manufacturing, 2015, 8: 36-62.







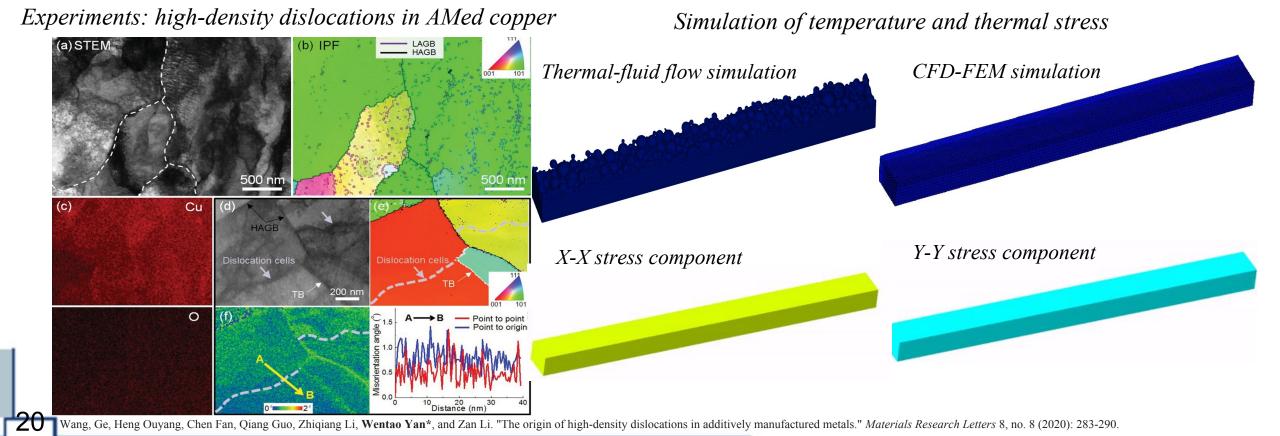
### Other applications



#### Origin of high-density dislocations in additively manufactured metals

Major finding on the origin:

- × Previously proposed mechanisms (cell solidification or nanoparticle blockage).
- √ Repeated compression-tension cycles of thermal stress





# Thank you for listening!

Q&A

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